Rusco in Bologna (rusco)

Last year, the IIOT International Finals took place in the city of Bologna. Each team that had qualified to the contest was assigned a table with two computers, inside the contest room.

The contest room contained $N \times M$ tables, arranged in a grid of N rows and M columns. Rows are numbered from 0 to $N-1$ and columns are numbered from 0 to $M-1$, inclusive. Denote the position of the table in row i and column j as (i, j).

A lot of teams brought snacks, drinks, pizzas, pasta bolognese, and much more to the contest to perform better and score higher, and when the contest was over, the room was left full of *rusco*![1] On the table at position (i, j), there is exactly $G_{i,j}$ amount of *rusco* left.

The room shortly after the contest.

Alessandro and Carlo were still in the contest room while the other members of the Technical Staff were already at the *Dragon Pub* to party after the contest. Carlo wanted to rush to the party immediately, while Alessandro felt bad about leaving all that *rusco* in the room, so he forced Carlo to stay with him and clean up some of it. They agreed on a strategy that would let them clean some *rusco* from the tables (and go to the party in time):

- Alessandro starts at the **upper-left** table of the grid, that is, the one at position $(0, 0)$, while Carlo starts at the **bottom-right** table at position $(N-1, M-1)$;
- they remove all the *rusco* they find on the table they are currently at (this is done in $\mathcal{O}(1)$ time, they are excellent at cleaning tables);
- after cleaning his table, Alessandro chooses to go **one** table to the right or to the bottom, while Carlo moves by one table in the top or in the left direction;
- they repeat this process until they both get to the opposite corner (bottom-right for Alessandro and top-left for Carlo);
- Alessandro and Carlo choose the two paths that **maximize** the amount of *rusco* they clean together;
- Alessandro and Carlo shouldn't ever clean a table that the other has already cleaned (except at the starting points), nor start cleaning a table together.

[1] In Bologna, the rubbish is called "rusco".

Unfortunately, back then they weren't able to find a strategy that satisfied all the conditions above, but they want to be better prepared for future contests and find a good strategy in retrospect.

Help Alessandro and Carlo find the **maximum** quantity of *rusco* that can be cleaned by them by following their strategy!

Input

The first line contains the integers N and M (the number of rows and columns of the grid).

The following N lines contain M integers each, describing a table: the j-th integer in the i-th line is the quantity of *rusco* $G_{i,j}$ on the table at position (i, j).

Output

You need to write a single line with an integer: the maximum quantity of *rusco* that can be cleaned by Alessandro and Carlo.

Constraints

- $2 \leq N \leq 200$.
- $2 \leq M \leq 200$.
- $1 \leq G_{i,j} \leq 1\,000\,000$ for each $i = 0 \ldots N-1$ and $j = 0 \ldots M-1$.
- $G_{0,0} = G_{N-1,M-1} = 0$.

Scoring

– **Subtask 1** (0 points) Examples.

– **Subtask 2** (4 points) $N = 2$.

– **Subtask 3** (30 points) $N = 3$.

– **Subtask 4** (19 points) $N \leq 40, M \leq 40$.

– **Subtask 5** (47 points) No additional limitations.

Examples

input	output
4 5 0 5 6 1 2 4 3 5 4 5 5 1 7 2 4 6 3 5 4 0	56

Explanation

In the **sample case** the maximum amount of *rusco* can be cleaned as follows:

Alessandro chooses the path:

$$(0,0) \to (0,1) \to (0,2) \to (1,2) \to (1,3) \to (1,4) \to (2,4) \to (3,4),$$

while Carlo chooses the path:

$$(3,4) \to (3,3) \to (3,2) \to (3,1) \to (3,0) \to (2,0) \to (1,0) \to (0,0).$$